Direction of Causation Models

Brad Verhulst

Caveats:

Hints, Allegations and things that must be said

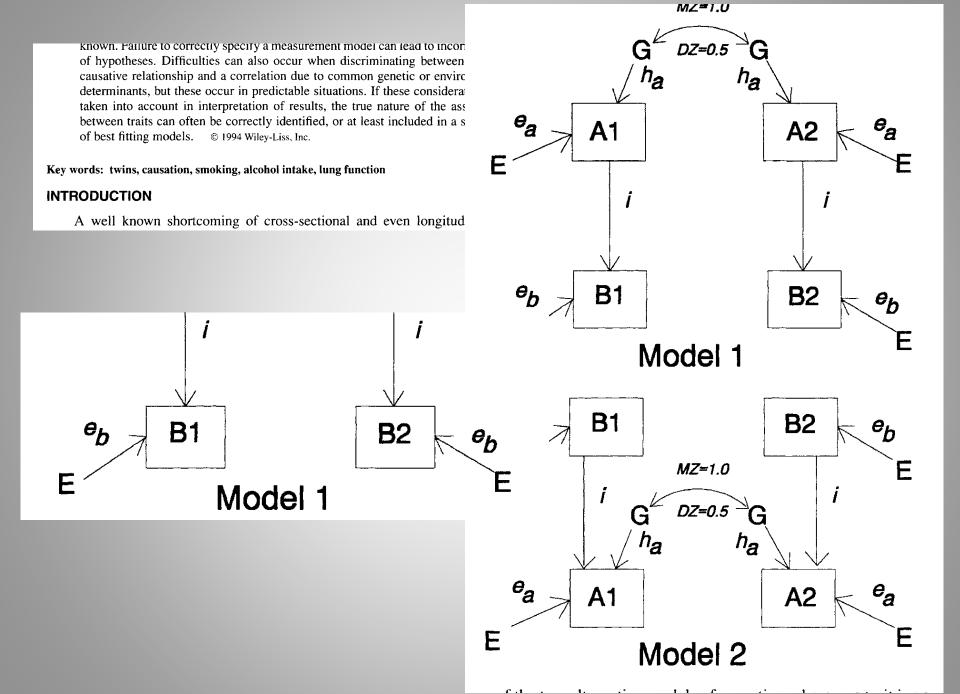
The Direction of Causation is based upon the cross-twin crosstrait covariance

- In a twin model, the expected covariance matrix would be different if A causes B or if B causes A.
- If the cross-twin cross-trait covariance mimics the pattern of transmission of trait A, then A causes B

Power & Identification: To estimated causality you must have different modes of transmission

ACE vs AE

Measurement Error can drastically affect the estimation of the causal paths



or practically.

KEY WORDS: Twins; reciprocal causation; genetics.

INTRODUCTION

It is widely acknowledged that the existence of a correlation between two variables, measured at a single point in time, has no necessary implications about causation (Fisher, 1958). There are many ex-

the early environment has a direct causal influence on risk of psychopathology $(B \to A)$ or because current psychopathology is biasing recall of early experiences $(A \to B)$, or alternatively, both these processes may be operating simultaneously (recip-

Heath, Kessler, Neale, Hewitt, Eaves

proach doe ion and m id can be us id even wh for any me r time and informative

Table IV. Sample Sizes (N of Twin Pairs) Required for 80% Power of Rejecting False Unidirectional Hypothesis, for Selected Sets of Parameters Values of True Models^a

	Trait A T					Trait B		True model													
•		h²	d^2	c^2	e'2	h'2	c' ²	$A \rightarrow B$							$B \rightarrow A$						
	e ²							df i' = 0.6	i' = 0.5	i'=0.4 i	i' = 0.3 i'	=0.25 i	i' = 0.2 i'	' = 0.15 df	i = 0.6 $i =$	0.5 i = 0	0.4	i = 0.3 i	=0.25	i = 0.2	i = 0.15
				$(\text{Reject } B \to A)$										$(\operatorname{Reject} A \to B)$							
I. N	o measu	rement e	LLOL																		
1	0.25	0.5	0.25	0	0.25	0	0.75	1 9	3 114	157	248	337	503	861 2	111	141	195	313	432	652	1,127
	0.5	0.33	0.17	0	0.5	0	0.5	1 45	7 594	834	1,329	1,829	2,751	4,746 2	410	514	702	1,109	1,521	2,283	3,930
2	0.25	0.75	0	0	0.25	0	0.75	1 10	6 131	182	296	411	622	1,079 2	126	162	228	372	518	787	1,367
	0.5	0.5			0.5		0.5	1 50	1 607	വാ	1 655	2 221	2 5/7	6 200 2	105	617	062	1 200	1 020	2 022	5 000

ORIGINAL ARTICLE

Testing Causality in the Association Between Regular Exercise and Symptoms of Anxiety and Depression

Marleen H. M. De Moor, MSc; Dorret I. Boomsma, PhD; Janine H. Stubbe; Gonneke Willemsen. PhD: Eco I. C. de Geus. PhD

Conclusion: Regular exercise is associated with reduced anxious and depressive symptoms in the population at large, but the association is not because of causal effects of exercise.

frontiers in **GENETICS**





Regular exercise, subjective wellbeing, and internalizing problems in adolescence: causality or genetic pleiotropy?

Meike Bartels^{1,2}*, Marleen H. M. de Moor^{1,2}, Niels van der Aa^{1,2}, Dorret I. Boomsma^{1,2} and Eco J. C. de Geus^{1,2}

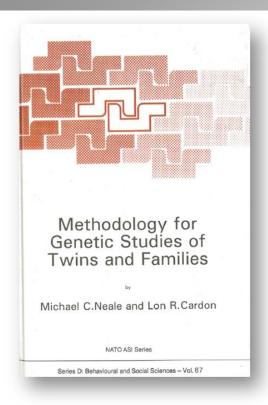
Department of Biological Psychology, VU University Amsterdam, Amsterdam, Netherlands
EMGO Institute for Health and Care, VU University Medical Centre, Amsterdam, Netherlands

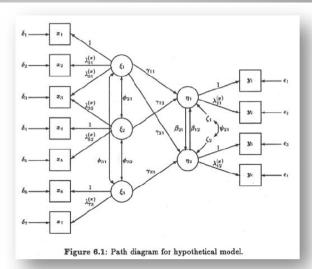
sectionally and longitudinally. We conclude that exercise behavior is associated with fewer internalizing problems and higher levels of SWB. The association largely reflects the effects of common genetic factors on these traits.

A Twin-Sibling Study on the Relationship Between Exercise Attitudes and Exercise Behavior

Charlotte Huppertz · Meike Bartels · Iris E. Jansen · Dorret I. Boomsma · Gonneke Willemsen · Marleen H. M. de Moor · Eco J. C. de Geus

present as well. Furthermore, after taking genetic pleiotropy into account, our data were compatible with a causal association between exercise attitudes and exercise behavior. Replication in longitudinal studies is now needed to more firmly establish this causality and its direction.





6.4.4 Submodel 3B: only y- and η -variables

When only NY and NE are specified, the program assumes the model

$$y = \Lambda_v \eta + \epsilon \tag{6.11}$$

$$\eta = \mathbf{B}\eta + \zeta \tag{6.12}$$

or equivalently

$$\mathbf{y} = \mathbf{\Lambda}_{\mathbf{y}} (\mathbf{I} - \mathbf{B})^{-1} \boldsymbol{\zeta} + \boldsymbol{\epsilon} , \qquad (6.13)$$

with implied covariance matrix

$$\Sigma = \Lambda_y (\mathbf{I} - \mathbf{B})^{-1} \Psi (\mathbf{I} - \mathbf{B}')^{-1} \Lambda_y' + \Theta_{\epsilon} .$$

Covariance between the items due to the latent factors

FacCovMZ <- mxAlgebra(expression= FacLoadtw %&% (cause %&% symVmz), name="FacCovMZ")

FacCovDZ <- mxAlgebra(expression= FacLoadtw %&% (cause %&% symVdz), name="FacCovDZ")